



## Proportional Relationships in Equations

### Today's Standard

7.RP.A2c - Represent proportional relationships by equations. For example, if total cost  $t$  is proportional to the number  $n$  of items purchased at a constant price  $p$ , the relationship between the total cost and the number of items can be expressed as  $t = pn$ .

### Real-World Applications for this Standard

Calculating total cost of items; Determining speed from distance and time; Converting currencies; Mixing ingredients in recipes; Scaling drawings or models

### Today I Learned

Today, we learned about proportional relationships in math. This means when one thing changes, another thing changes in a way that stays the same. For example, if you buy more apples, you pay more money, and the price per apple stays the same.

### Common Stumbling Blocks

Sometimes, kids might think that proportional relationships involve adding a number each time instead of multiplying. Also, they might mix up proportional relationships with other types of math problems that have a starting number that's not zero.

### Quiz Me

- What happens to the total cost if you buy more items?
- Can you show me how to write an equation for buying apples?
- What does  $t = pn$  mean?
- How do you find the total cost if you know the price per item?
- What is a proportional relationship?

### Help Me

Proportional relationships are like when you buy more of something and pay more money, but the price per item stays the same. For example, if apples cost \$2 each, then 3 apples cost \$6. This helps us understand how things change together in the real world.

