



### Geometric Representation of Complex Numbers

#### Today's Standard

HSN.CN.B5 - (+) Represent addition, subtraction, multiplication, and conjugation of complex numbers geometrically on the complex plane; use properties of this representation for computation. For example,  $(-1 + \sqrt{3}i)^3 = 8$  because  $(-1 + \sqrt{3}i)$  has modulus 2 and argument  $120^\circ$ .

#### Real-World Applications for this Standard

Electrical engineering: analyzing AC circuits; Quantum physics: describing quantum states; Signal processing: Fourier transforms; Computer graphics: fractal generation; Control systems: stability analysis

#### Today I Learned

Today, we learned about how to show adding, subtracting, multiplying, and flipping complex numbers on a special graph called the complex plane.

#### Common Stumbling Blocks

Some kids might think that working with complex numbers is very different from working with regular numbers. They also might mix up the distance and angle of a complex number with its real and imaginary parts.

#### Quiz Me

- What is a complex number?
- What are the two parts of a complex number?
- How do you add two complex numbers?
- What does the modulus of a complex number tell us?
- What is the argument of a complex number?

#### Help Me

Complex numbers can be used in real life, like in designing electric circuits or in computer graphics. Understanding how to add, subtract, multiply, and flip them on a graph can help solve these real-world problems.

